Time-Bounding Needham-Schroeder Public Key Exchange Protocol

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Cyber-Physical Security Protocols are security protocols which rely on the **physical properties** in which its protocol sessions are carried out, such as:

- message transmission takes time
- processing requests takes time
- different transmission channels
- different transmission velocities
- physical and network distances between participants

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Cyber-Physical Security Protocols

Example: Distance Bounding Protocols



The round trip time of messages and the transmission velocity is taken into account to infer an upper bound of the distance between two agents.

Cyber-Physical Security Protocols

Example: Distance Bounding Protocols



If $t_3 - t_0 \le R$ for a given **distance bounding time** *R*, then the verifier *A* grants the access to its resources to the prover *B* and sends a confirmation message.

Specification of Cyber-Physical Security Protocols

Specification of Distance Bounding Protocols

Standard "Alice-Bob" notation needs to be refined.

$$egin{array}{cccc} A \longrightarrow B : & m & \mbox{at time } t_0 \ B \longrightarrow A : & m' & \mbox{at time } t_1 \ A \longrightarrow B : & m'' & \mbox{if } t_1 - t_0 \leq R \end{array}$$

Many assumptions about time need to be formally specified, including:

- time requirements for the fulfillment of a protocol session
- assumptions about the network, such as communication mediums and transmission velocities

Verification of Cyber-Physical Security Protocols

Protocol verification

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Following issues need to be addressed:

- which properties does the protocol ensure
- under which conditions
- against which intruders

Verification of Cyber-Physical Security Protocols

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Moreover, the **standard Dolev-Yao intruder** should be ammended with time features in order to make **the physical properties of the system relevant**.

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Protocol verification



Continuous Time Models

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We investigate how the models with **continuous time** relate to models with **discrete time** in protocol verification.

Example: Original (non-secure) Needham-Schroeder protocol



Cyber-Physical Security Protocols

Example: Original (non-secure) Needham-Schroeder protocol



Can the protocol be fixed by means of **time** (by some time requirements) ?

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network delays

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- network delays
- participants' processing time

- network delays
- participants' processing time
- protocol execution depends on the round trip time of messages by means of measuring the response time

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Network Delay

A and B communicate through network:



Message *m* sent at the moment t_0 is received at some **later moment** t_1 , i.e. traversal of messages takes non-zero time $t_1 - t_0$.

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Network Delay

A and B communicate through network:



Message *m* sent at the moment t_0 is received at some **later moment** t_1 , i.e. traversal of messages takes non-zero time $t_1 - t_0$.



Processing Time

Message m_1 is received at the moment t_1 . Reply m_2 is sent at some **later moment** t_2 . That is, processing takes non-zero time $t_2 - t_1$.



If $t_3 - t_0 \le R$ for a given **response bounding time** R, then A and sends to Bob the confirmation message $\{N_B\}_{K_B}$.

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The protocol is **secure** if the "accepted" N_A and N_B may never be revealed to somebody else except Alice and Bob.

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For which response bounding time R is there an attack?

The protocol is **secure** if the "accepted" N_A and N_B may never be revealed to somebody else except Alice and Bob.

For which response bounding time R is there an attack?

We show that the answer depends on whether time is considered discrete or continuous.

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The protocol is **secure** if the "accepted" N_A and N_B may never be revealed to somebody else except Alice and Bob.

For which response bounding time R is there an attack?

- We show that the answer depends on whether time is considered discrete or continuous.
- We show that the answer also depends on network delay and on internal processing time.

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The protocol is safe with an appropriate response bounding time *R* when using a model with <u>discrete time</u> : no attack can be found.

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- The protocol is safe with an appropriate response bounding time *R* when using a model with <u>discrete time</u> : no attack can be found.
- The protocol is insecure for any response bounding time *R* in the case of <u>continuous time</u> : there is a timed version of Lowe attack.

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Lowe-style attack

Mallory forces Bob to believe that he communicated with Alice, and that only Alice learned Bob's nonce N_B .

Actually, Bob communicated with Mallory, and Mallory learned N_B .

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Lowe-style attack

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Under which time conditions is the attack possible?

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Lowe-style attack

Discrete time model

Since both network delay and processing take at least 1 time unit, attack can be performed only for response bounding time $R \ge 7$.

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Lowe-style attack

Discrete time model

Since both network delay and processing take at least 1 time unit, attack can be performed only for response bounding time $R \ge 7$.

There is **no attack** for R < 7.

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The existance of the attack depends on whether time is considered discrete or continuous.

No rescaling of discrete time units removes this issue:

For **any discretisation of time**, such as days, seconds or any other infinitesimal time unit, there is a protocol, for which

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- there exists an attack with continuous time, and
- no attack is possible in the discrete case.

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No rescaling of discrete time units removes this issue:

For **any discretisation of time**, such as days, seconds or any other infinitesimal time unit, there is a protocol, for which

- there exists an attack with continuous time, and
- no attack is possible in the discrete case.

Between moments t_i and t_j only a finite number of acts can happen within discrete time, whereas an **unbounded number of timed events** are possible within continuous time.

Specification of Cyber-Physical Security Protocols

Lower bounds for passing messages and processing requests

- a strict lower bound for passing messages
- b strict lower bound for processing messages

Network Delay



Traversal of messages is greater then a : $t_1 - t_0 > a$



Processing Time

Internal processing is greater then b : $t_2 - t_1 > b$

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Lower bounds for passing messages and processing requests

- *a* strict lower bound for passing messages
- *b* strict lower bound for processing messages



For which R the protocol is safe? For which R there is an attack?

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Lower bounds for passing messages and processing requests

a - strict lower bound for passing messages*b* - strict lower bound for processing messages



For which R the protocol is safe? For which R there is an attack?

Given explicit lower bounds we can provide precise results.

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Lower bounds for passing messages and processing requests

- a strict lower bound for passing messages
- *b* strict lower bound for processing messages

In case a > 0 or b > 0, for non-negative integers a, b,

- For **discrete time**, there is **no Dolev-Yao attack** on the time-bounding Needham-Schroeder protocol with response bounding time *R* < 4*a* + 3*b* + 7.
- For **continuous time**, there is **no Dolev-Yao attack** on the time-bounding Needham-Schroeder protocol with the response bounding time *R* < 4*a* + 3*b*.

Protocol verification

Discrete Time Models Continuous Time Models

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There is a difference !

There are protocols for which there is no attack in the discrete time model, but there is an attack in the continuous time model.

Protocol verification

Discrete Time Models Continuous Time Models

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There is a difference !

There are protocols for which there is no attack in the discrete time model, but there is an attack in the continuous time model.

One should be aware of this difference in **cyber-physical security protocol verification**.

Planning Problem \setminus Reachability Problem		
Balanced actions	Untimed system	PSPACE-complete [Kanovich et al., FAST'10]
	System with discrete time	PSPACE-complete [Kanovich et al.,RTA'12]
	System with real time	PSPACE-complete new
Actions not necessarily balanced		Undecidable

Though the nonce updates cause a potentially infinite number of states, the PSPACE membership is given for the timed systems with **fresh values (nonces)**.

 Investigating the power of our intruder model: how much damage can be done under which conditions

- Alternative Intruder and Protocol Models
 e.g. agents allowed to move, not static
- Implementation of our model in automated tools e.g. Maude: verifying cyber-physical protocols

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- Specification of asynchronous systems Time synchronization mechanisms Network Time Protocols
- Analysis of security protocols
 e.g. timestamps, timing channels

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